

5 November 2015

Chapter 11 – Basic Methods

p. 291 Algorithm 30, line 5, should read

if $\text{sign } f(a) \neq \text{sign } f(c)$ then

Chapter 15 – Calibrating option pricing models

p. 512 “In Merton’s model the log-jumps are distributed as

CORRECTED in print edition
in June 2014

$$\log(1 + J_t) \sim N\left(\log(1 + \mu_J) - \frac{v_J}{2}, v_J\right).$$

[...]” (Removed squares from v_J .)

p. 513 There are two errors in the characteristic function of Merton’s jump–diffusion model (only in the printed formula, not in the code); reported by Kenji Ogawa. [Additions are in blue.](#)

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$$\phi_{\text{Merton}} = e^{A+B} \tag{1}$$

where

$$A = i\omega s_0 + i\omega\tau(r - q - \frac{1}{2}v - \lambda\mu_J) + \frac{1}{2}i^2\omega^2v\tau$$

$$B = \lambda\tau\left(\exp\left(i\omega\log(1 + \mu_J) - \frac{1}{2}i\omega v_J - \frac{1}{2}\omega^2v_J\right) - 1\right),$$

p. 514 In Equation (15.14a), r must be replaced by $r - q$.

$$dS_t = (r - q)S_t dt + \sqrt{v_t}S_t dz_t^{(1)}$$

p. 515 “As in Merton’s model, the logarithm of the jump size J_t is distributed as a Gaussian, that is,

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$$\log(1 + J_t) = N\left(\log(1 + \mu_J) - \frac{v_J}{2}, v_J\right).$$

[...]” (Removed square from v_J .)

p. 515 In the D -term of the characteristic function of the Bates model, remove the square from v_j . The correct expression is:

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$$D = -\lambda\mu_J i\omega\tau + \lambda\tau\left((1 + \mu_J)^{i\omega} e^{\frac{1}{2}v_j i\omega(i\omega-1)} - 1\right)$$